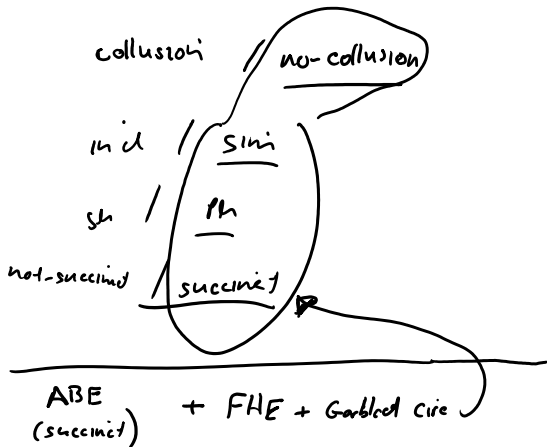
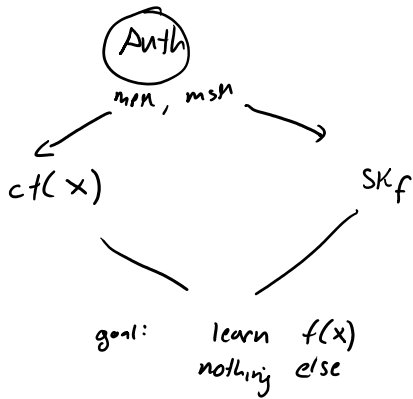


Functional Enc II

Thursday, October 8, 2020 11:22 AM



$$(FE.msh, FE.msk) = (ABE.msh, ABE.msk)$$

$$FE.Enc_{msh}(x) : \begin{cases} \bullet sk \leftarrow \mathcal{S}, \{K_{i,b}\} \leftarrow GC.K_{gen} \\ \rightarrow \hat{x} = FHE.Enc_{sk}(x) \\ \rightarrow \{ABE.Enc((\hat{x}, i, b), K_{i,b})\}_{i=1, \dots, n, b=0,1} \\ \rightarrow \tilde{c} = Garble(FHE.Dec_{sk}(\cdot)) \end{cases}$$

$$FE.SK_f = ABE.SK_g$$

$$g(\hat{x}, i, b) : \left\{ \begin{array}{l} x^* = FHE.Eval(f, \hat{x}) \\ \text{output "true" if } x^*_i = b \end{array} \right\}$$

learn $\{K_{i, x^*_i}\}$
 // garbled input for x^*

Proof of security:

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- Hybrid 0: $\text{mpk}, \text{SK}_f, \text{FE.ct}(x) = (\hat{X}, \text{ABE.ct}(x, i, s, \dots), \tilde{C})$
- ABE \uparrow SS
• Hybrid 1: for all i , if $X_i^* \neq b$, "remove $K_{i,b}$ "
- GC \uparrow SS
• Hybrid 2: switch $(\tilde{C}, \tilde{X}^* = \{K_{i, X_i^*}\})$
to GC-Sim($f(x)$)
- FHE \uparrow SS
• Hybrid 3: switch \hat{X} to encryption of 0.
- \uparrow
Sim