## CS7880: Rigorous Approaches to Data Privacy, Spring 2017 POTW #3

Instructor: Jonathan Ullman

## Due Fri, Feb 3rd, 11:59pm

(Email to jullman+PrivacyS17@gmail.com)

- You may work on this homework in pairs if you like. If you do, you must write your own solution and state who you worked with.
- Solutions must be typed in LATEX.
- Aim for clarity and brevity over low-level details.

**Problem 1** (Tightness of Advanced Composition). Recall that the advanced composition theorem says that composing k copies of an  $(\varepsilon,0)$ -differentially private algorithm satisfies  $(1,\delta)$ -differential privacy as long as  $k \leq 1/(8\varepsilon^2\log(1/\delta))$ . Show that for some choice of  $k = \tilde{O}(1/\varepsilon^2)$ , composing k copies of an  $(\varepsilon,0)$ -differentially private algorithm does not satisfy (1,1/10)-differential privacy.

 $<sup>^1</sup>f(x) = \tilde{O}(g(x))$  means that  $f(x) = g(x) \cdot \operatorname{polylog}(g(x))$ . The polylog factor is not actually necessary in this problem but may come up depending on how you solve the problem.